

## Stats Review

### 1. Terminology

2. median, mean + st. dev  $\Rightarrow$  STATS | CALC | 1-VAR STATS.

3. histogram  $\Rightarrow$  STAT PLOT, select histogram  
turn plot on

+4. WINDOW  $\rightarrow$   $L \min x, > \max x$

or  $\text{ZOOM} 9$   $x \text{ scl} \Rightarrow \text{bin size}$

$y \Rightarrow \text{frequency}$   
 $\min y < 0 \quad \max y > \text{max f.}$

TRACE  $\rightarrow$  gives the freq for each bin.

BIN  $\Rightarrow$  29-36

$\begin{matrix} \uparrow \\ \text{includes} \\ 29 \end{matrix}$   $\begin{matrix} \uparrow \\ \text{does not include} \\ 36 \end{matrix}$

### 5. Statistical Symbols:

$\mu_{\bar{x}} \rightarrow \text{mean of the sample means.}$

$\bar{x} \rightarrow \text{sample mean}$

$n \rightarrow \text{sample size}$

$s_x \rightarrow \text{sample st. dev.}$

$\mu \rightarrow \text{population mean}$

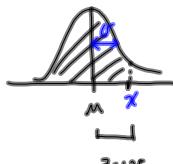
$\sigma \rightarrow \text{population st. dev.}$

$\sigma_{\bar{x}} \rightarrow \text{stand. dev of the sample means.}$

### 6. Sampling methods... 6 types (see handout)

bias or non-bias sample.

7. Z-scores  $\Rightarrow$  the number of st. dev away from mean.



$$z = \frac{x - \mu}{\sigma}$$

$\uparrow$  the number of stand. dev away from mean.

look up 1.25 on chart to find the area  $\times$  MUST be a NORMAL DISTRIBUTION!

### 8. Central Limit Theorem

- all about taking repeated samples (size  $n$ ) from the same population.

$$\bar{M}_x = \mu$$

$$\sigma_{\bar{x}} = \frac{\sigma}{\sqrt{n}}$$

\* If the population is normal, the sampling distribution (the distribution of the sample means) is normal.  $\Rightarrow$  Z-scores

\* If the population is not normal but  $\sigma_{\bar{x}} = \frac{\sigma}{\sqrt{n}}$  the sampling distribution is normal  
IF  $n \geq 30$ . So we can use Z-scores.

9. Confidence intervals: write down Z-values for 90, 95 and 99% confidence level.

$$CI = \bar{x} \pm Z \frac{\sigma}{\sqrt{n}}$$

$\downarrow$  point estimate     $\downarrow$  margin of error     $\leftarrow$  not if we don't know  $\sigma$ ..... not entirely accurate.

\* Know how to interpret what a confidence interval ... "We are 90% confident that the interval ( ?, ? ) will contain the population mean using this method."

use calculator:

STATS | TESTS |

t-interval if  $\sigma$  is unknown.

Z-interval if  $\sigma$  is known

\* input data or stats ( $\bar{x}$  and  $s_x$  or  $\sigma$ ) (L1)

10.  $CI = \bar{x} \pm Z \frac{\sigma}{\sqrt{n}}$

$\uparrow$  a bigger  $n$  decreases the size of the CI.

Z is bigger for a higher level of confidence  
 $\therefore$  the CI will be longer (i.e. having a better chance of containing the mean)